## **Test Synthesis**

## **Model-based Testing**

- General idea: we have
  - A system under test (SUT)
  - A model (M) describing acceptable behaviour
  - Question: does SUT conform to M?
- A test suite (T) is a collection of test cases (TC)
  - TCs "capture" properties of M
  - We can run a TC on SUT and get a verdict (pass or fail or inconclusive)
  - Ideally, we want a test suite T such that
     SUT conforms to M ⇔ SUT passes all cases in T

# **IOLTS**s

- We will describe models, SUTs, and test cases via input/output LTSs
  - All actions are either outputs (laction) or inputs (laction), or the invisible action  $\tau$ .
  - L1 || L2 (Parallel composition) = LTS product with synchronization on input/output pairs
- Test hypothesis: we can use the same formalism (namely IOLTS) for models (M) and implementations (SUT)

## Input-Output Conformance (ioco)

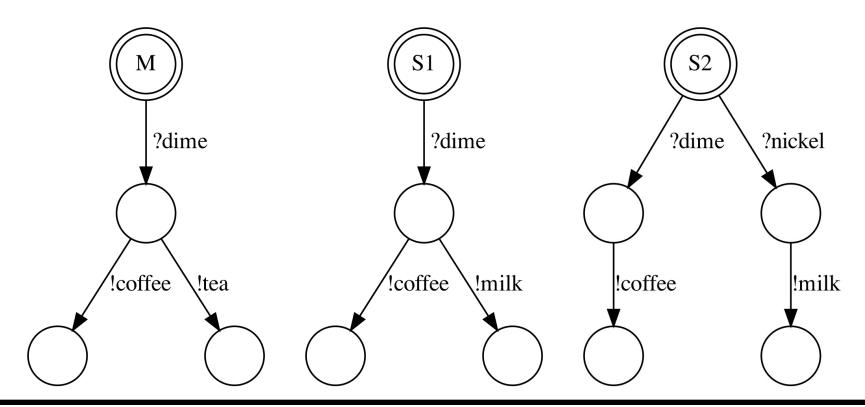
• A trace of an LTS with initial state  $s_0$  is a sequence of actions  $\sigma = (\sigma_1, \sigma_2, ..., \sigma_n)$  such that  $s_0 \xrightarrow{\sigma_1} s_1 \xrightarrow{\sigma_2} s_2 \xrightarrow{\sigma_3} ... \xrightarrow{\sigma_n} s_n$ 

For some states  $s_{1,2,\dots,n}$  in the LTS.

- We say that (a system SUT) ioco (a model M) if, for all traces  $\sigma$  of M:
  - When SUT can perform an output !x after a trace  $\sigma$ , M can also perform !x after  $\sigma$
  - When SUT cannot perform any output after a trace  $\sigma,$  the same must be true of M

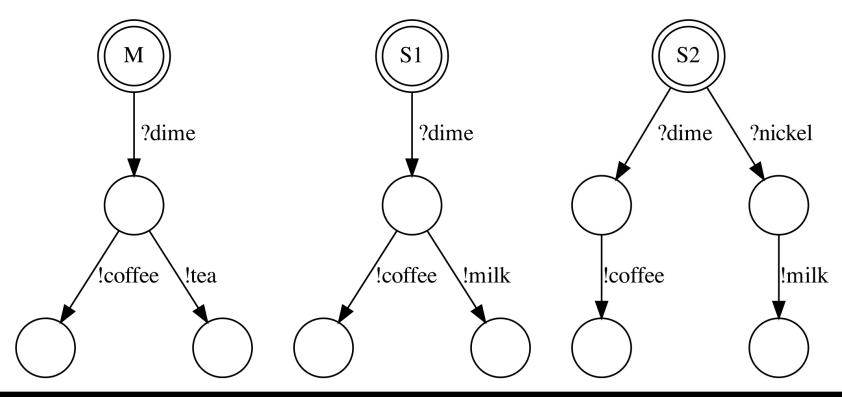
#### **Exercises**

- S1 ioco M ?
- S2 ioco M ?



## **Solution**

- S1 not ioco M (M cannot do !milk after ?dime)
- S2 ioco M (ioco "does not care" about ?nickel)
  - but M not ioco S2 (ioco is not symmetrical)

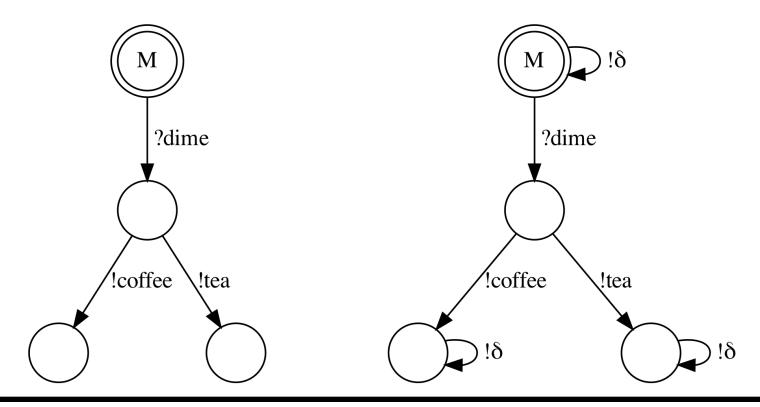


## Suspension automata (1/2)

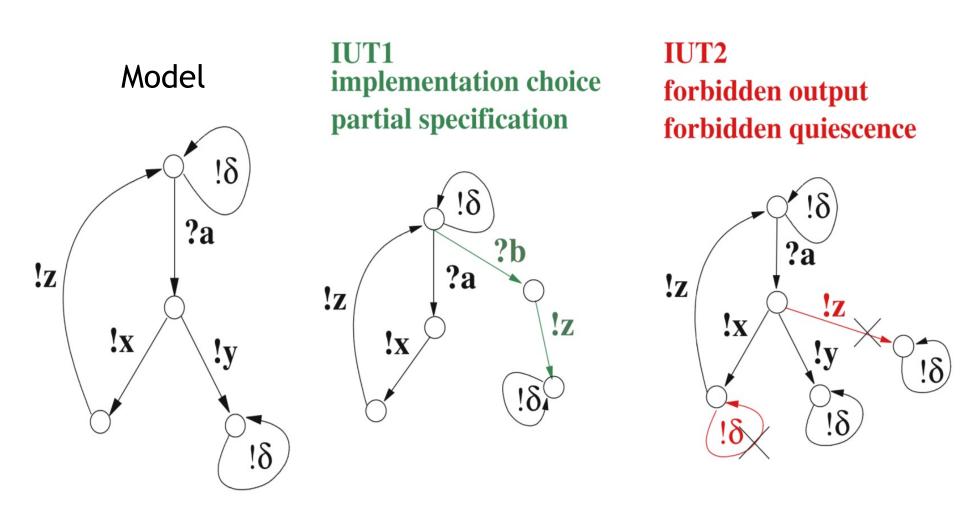
- A state is quiescent if:
  - Has no outgoing actions at all (deadlock)
  - Can only wait for some input (outputlock)
  - Is part of a cycle of internal actions (livelock)
- For ioco to "work", we must make quiescence explicit
- To do so, we find all quiescent states s and add a special self-transition  $\stackrel{!\delta}{s \to s}$  to them
- The result is called a suspension automaton

# Example (1/2)

- Example: suspension automata for M
  - Initial state is outputlocked (must wait for *!dime*)
  - States at the bottom are deadlocked



## Example (2/2)



#### **Test case**

- Informally, a test case TC is an IOLTS where:
  - The I/Os of the TC correspond to O/Is of a SUT
  - some states are marked pass, fail, or inconclusive
  - Special action  $\theta$  that complements  $\delta$
- "Running" a TC on a SUT = compute traces of
   TC || SUT and check which marked states are reached
  - Verdict = pass/fail/inconc, depending on state reached

#### **Test purposes**

- TCs are somewhat too "low-level" to be practical
  - Idea: select/generate TCs based on a more abstract description called test purpose
- A TP is an IOLTS (again) which describes some desired behaviours of the SUT
- Some states in a TP are marked accept or refuse
  - An accept state is reached = the desired behaviour has been observed (corresponds to a pass in the test case)
  - When a refuse state is reached, it means that this execution is not relevant to the test purpose. It does not correspond to a failure!

## **Test synthesis**

- From a model M and a test purpose, generate a complete test graph (CTG)
- CTG
  - Describes one or more test cases
  - Obtained by "combining" the TP with the model, marking states as pass/fail/inconclusive based on the TP, etc.
- On-line testing
  - Generate CTG
  - Compute traces of CTG || SUT
  - All at the same time

### Example of an LNT test purpose

- Use loops to mark accept/refuse states
  - Desired behaviour: y followed by z
  - If you observe z: do not care about what's next
  - process TP
  - [TESTOR\_ACCEPT, TESTOR\_REFUSE, y, z: none] is
     select
    - y; z; loop TESTOR\_ACCEPT end loop
      []
    - z; loop TESTOR\_REFUSE end loop
      end select

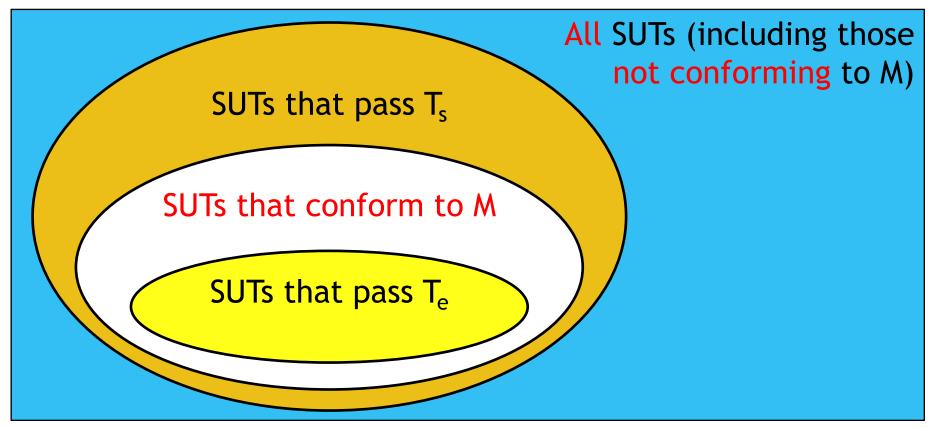
end process

# Soundness, exhaustiveness, completeness (1/2)

- A suite T is sound (with respect to a model M) if SUT conforms to M ⇒ SUT passes T (non-conforming SUTs might pass!)
- A suite T is exhaustive (wrt. M) if
   SUT passes T ⇒ SUT conforms to M
   (conforming SUTs might fail!)
- It is complete if it is sound and exhaustive
- Unfortunately, exhaustiveness is difficult to achieve (it may need infinitely many test cases)
  - So we focus on generation of sound test suites

# Soundness, exhaustiveness, completeness (2/2)

Assume that  $T_e$  is exhaustive and  $T_s$  is sound with respect to some model M. Then you have the following sets of SUTs:



### Testor

• Example invocation:

lnt.open model.lnt testor -io actions.io
purpose.bcg testcase.bcg

- model.lnt: LNT description of the model
- actions.io: specifies which actions are inputs/outputs
- purpose.bcg: IOLTS of the test purpose
- testcase.bcg: filename of generated LTS (test case)
- You can use generator to create a purpose.bcg from a purpose.lnt

## bcg\_execute and Testor (1/2)

- Goal: we want to execute CTG || SUT
- bcg\_execute: utility to execute a SUT, described in BCG format
  - Output actions will be printed
  - User provides input actions from command line
  - E.g., the SUT waits on ?x until the user types x<Enter>
- We can also generate/execute the CTG on-line, with testor -interactive
  - Can we send CTG outputs to SUT and vice versa?
  - On Linux/macOS, we can, by using named pipes

## bcg\_execute and Testor (2/2)

• Example:

mkfifo sut.input

mkfifo sut.output

bcg\_execute sut.bcg -io sut.io > sut.output <
sut.input &</pre>

testor -interactive -io sut.io tp.bcg < sut.output</pre>

- 2> sut.input
- If SUT is nondeterministic, multiple runs can lead to different results