

Compilation and Verification of LOTOS Specifications

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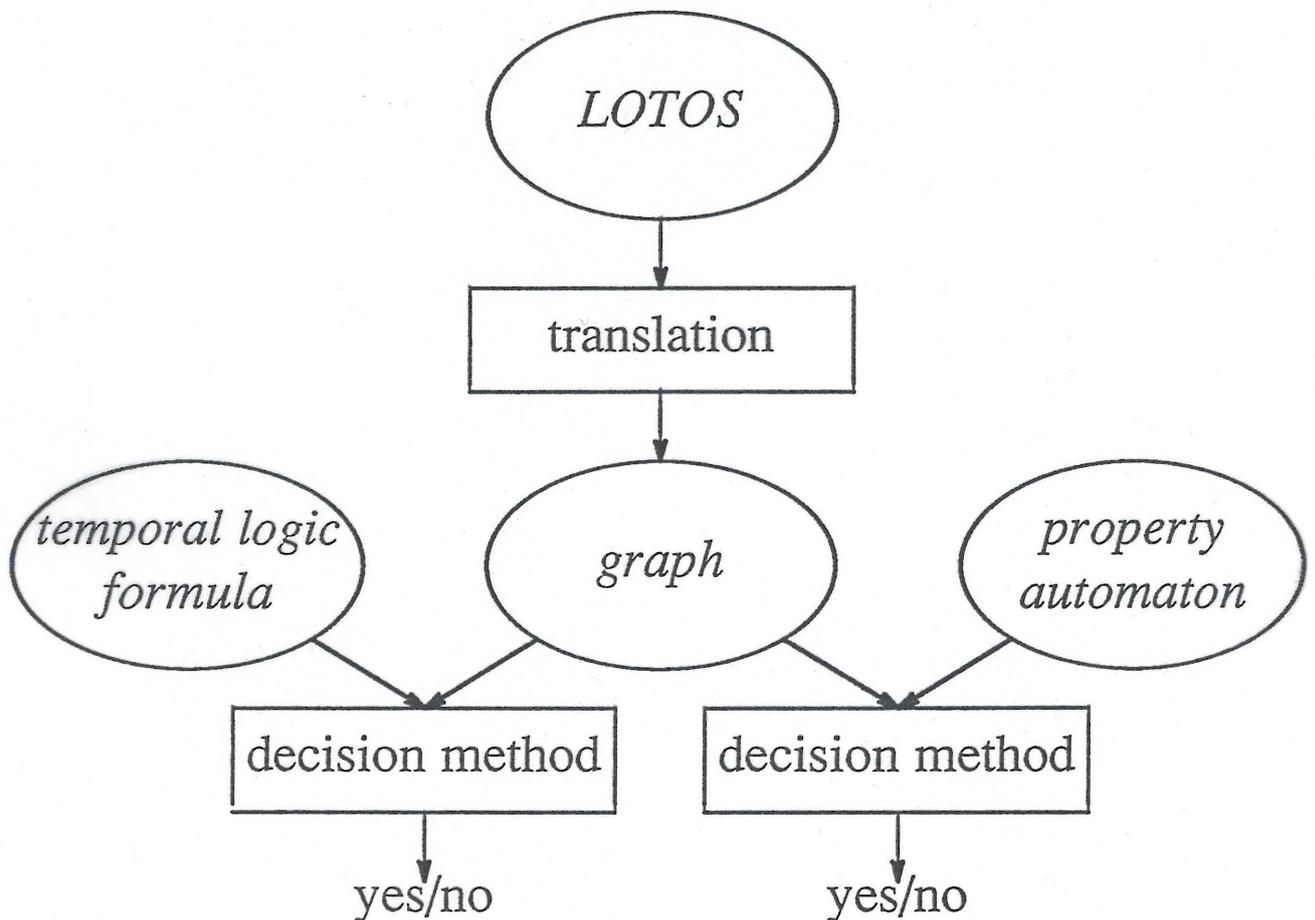
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Verification: comparison of a LOTOS program against requirements.

Two approaches:

- **theorem proving:** (Boyer-Moore, LCF, ...)
- **model checking:**
 - step 1: translation LOTOS \rightarrow finite state model (**graph**)
 - step 2: verification of requirements on the model



Theorem Proving vs. Model Checking 2

	theorem proving	model checking
analysis level	source-level	graph-level
symbolic evaluation	yes	no
full automation	no	yes
generality	yes	no
efficiency	no	yes

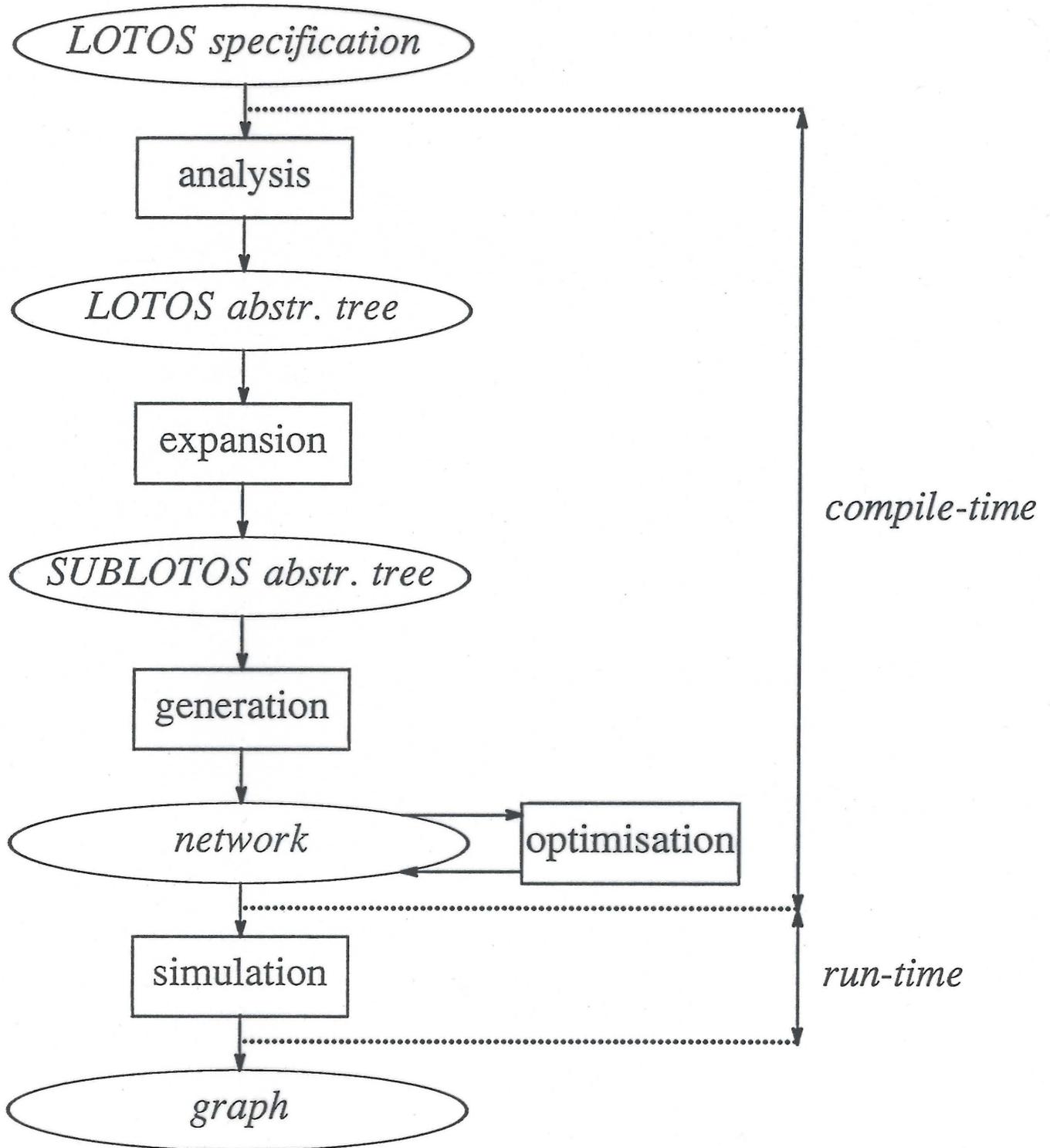
Model checking is less general but more efficient

Given $\left\{ \begin{array}{l} \text{a requirement } R \\ \text{a LOTOS specification represented by a graph } G \end{array} \right.$

	theorem proving	model checking
R undecidable	theoretically impossible	theoretically impossible
R decidable G infinite	theoretically possible practically not efficient	theoretically impossible
$[R$ decidable] G finite $ G > 10^6 - 10^7$ states	theoretically possible practically not efficient	practically impossible
$[R$ decidable] G finite $ G \leq 10^6 - 10^7$ states	theoretically possible practically not efficient	possible and efficient

- **verification by model checking**
- problem: **efficient** translation LOTOS \rightarrow graph
- two solutions:
 - **interpretation scheme** (LOTOS simulators)
direct implementation of LOTOS dynamic semantics rules
 - **compilation scheme** (CÆSAR)
implementation of an Extended Petri Net semantics

interpretation scheme	CÆSAR compilation scheme
direct translation LOTOS \rightarrow graph	stepwise translation LOTOS \rightarrow ... \rightarrow ... \rightarrow graph
no intermediate form	two intermediate forms: SUBLOTOS and networks
only a run-time phase	compile-time and run-time phases
computations performed several times, at each step	computations performed only once, at compile-time
states = LOTOS terms \Rightarrow high cost in memory	states = compact bit strings (position of control + values of variables)
transitions \leftarrow term rewriting \Rightarrow high cost in time	transitions \leftarrow Petri Net rules (use of a static control skeleton)



Restriction to a subset of LOTOS

- recursion is not allowed on the left or right side of “| [...] |”

```

process P [...] ...
... ||| P [...]
endproc
    
```

- recursion is not allowed on the left side of “>>” or “[>”

Also:

- process instantiation with identical gate parameters:

```

P [..., G, ..., G, ...] (...)
    
```

is handled differently than in the ISO semantics of LOTOS

- abstract data types must be implemented by concrete types

Reasons

In this subset of LOTOS:

- all specifications have a finite state control skeleton
- expressiveness is still sufficient for protocols

A good solution to the **expressiveness vs. efficiency** problem.

SUBLOTOS = subset of LOTOS obtained by syntactic transformations

- elimination of LOTOS “macro”-operators: >>, exit, choice, par

exit (V) >> accept X:S in B	hide δ in (δ !V; stop [δ] δ ?X:S; B)
choice G in [G1, G2] [] P [G]	P [G1] [] P [G2]
par G in [G1, G2] P [G]	P [G1] P [G2]

- recursion development to have “constant” gates

process P [G1, G2] ... G1; P [G2, G1] endproc	process P [G1, G2] ... G1; G2; P [G1, G2] endproc
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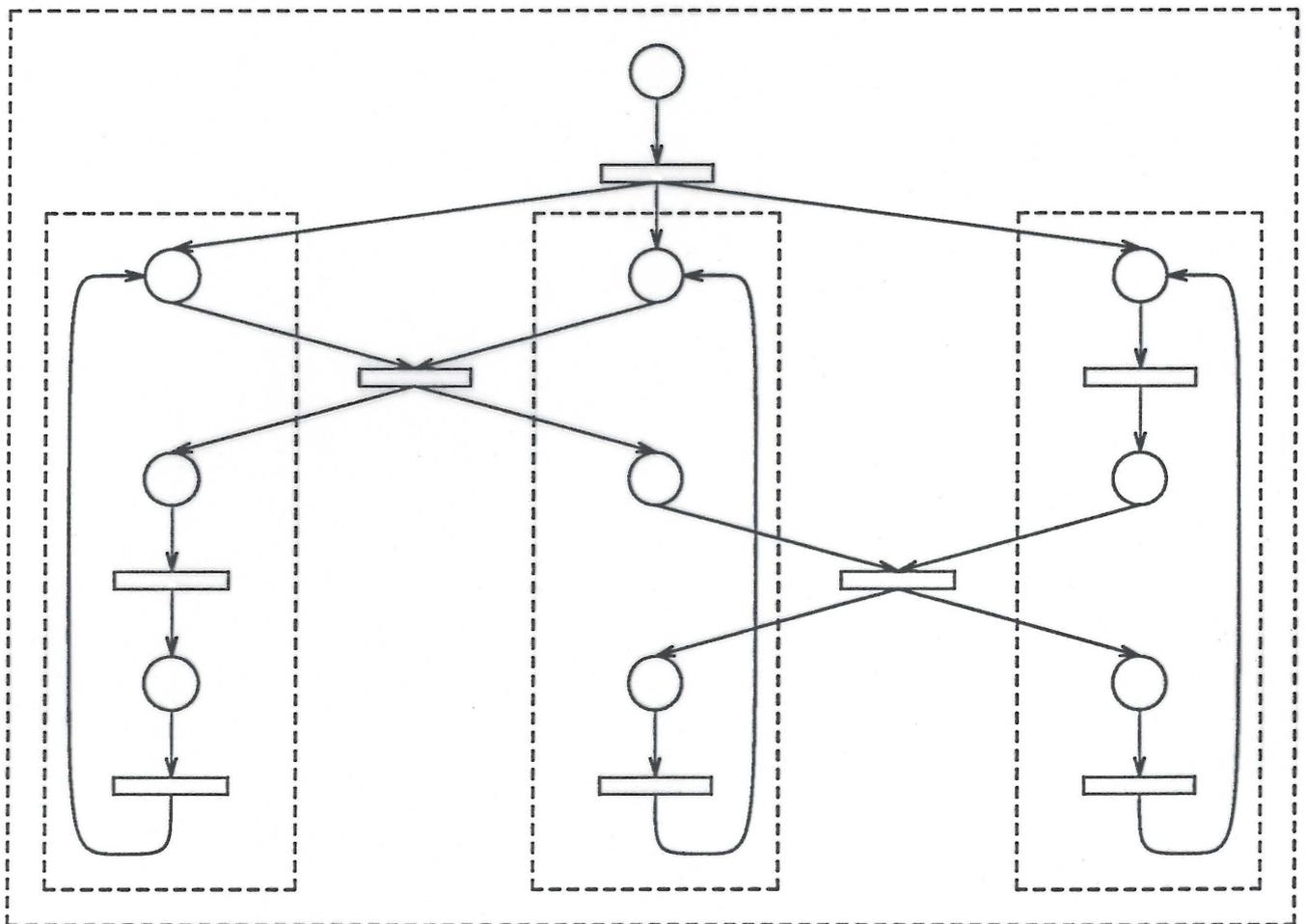
- renaming of gates, variables and processes

Static control constraints \implies SUBLOTOS is an imperative language.

LOTOS	SUBLOTOS (and networks)
dynamic architecture <ul style="list-style-type: none"> • dynamic creation/deletion of processes • dynamic creation/deletion of gates • dynamic creation/deletion of variables • gates with “variable” value 	static architecture <ul style="list-style-type: none"> • static set of processes • static set of gates • static set of variables • gates with “constant” value
functional features <ul style="list-style-type: none"> • dynamic constants • single assignment • local scope 	imperative features <ul style="list-style-type: none"> • static variables • multiple assignment • global scope

The Control Part

- a set of **places**
- a set of **transitions**, with the following attributes
 - a set of **input places**
 - a set of **output places**
 - a **gate** (visible, “ τ ”, or “ ε ”)
 - a list of **offers** (“ $!V$ ” or “ $?X:S$ ”)
- a hierarchical refinement into **units** (sequential behaviors)



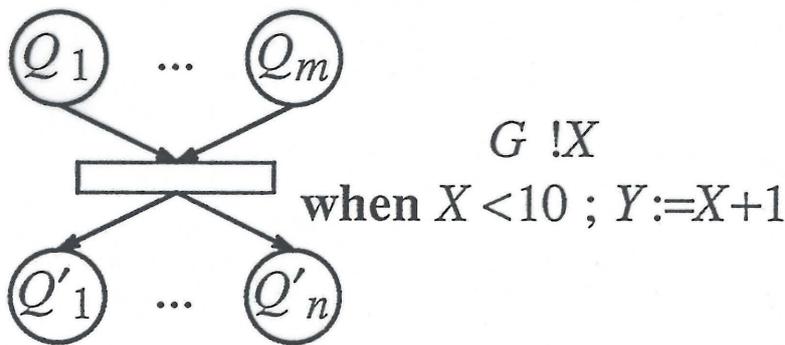
The Data Part

- a set of **variables**
- **actions** attached to transitions:
 - assignments: $X := X + 1$
 - conditions: **when** $X > 0$
 - iterations: **for** X among $BOOL$

Operational semantics

- translation network \rightarrow graph
- state = \langle marking, context \rangle
 - marking = set of marked places (control part)
 - context = values of variables (data part)
- transition relation: $state_1 \xrightarrow{\text{gate offers}} state_2$
 - wrt to markings: Petri Net rules
 - wrt to contexts: execution of the action

Example:



$$\underbrace{\langle \{Q_1, \dots, Q_m\}, \{X = 0, Y = 0\} \rangle}_{state_1} \xrightarrow{G !0} \underbrace{\langle \{Q'_1, \dots, Q'_n\}, \{X = 0, Y = 1\} \rangle}_{state_2}$$

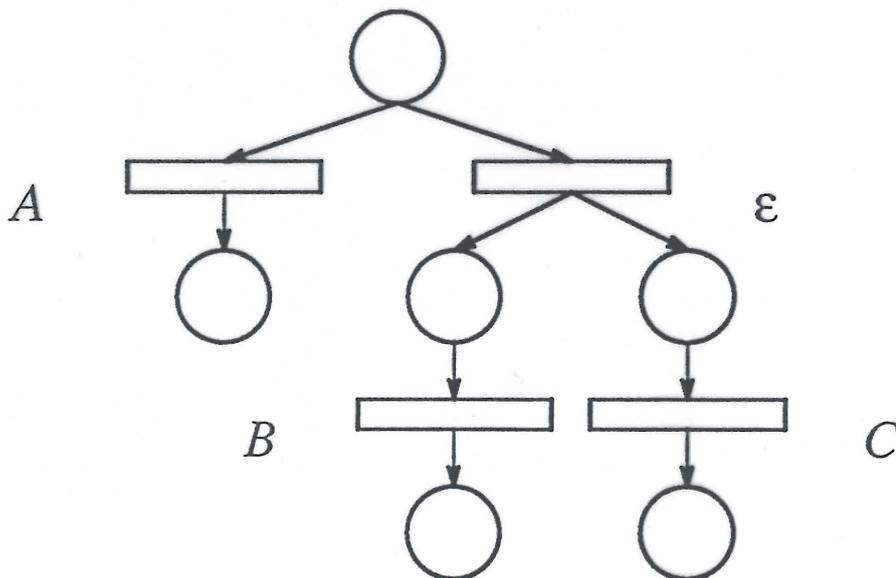
ϵ -transitions

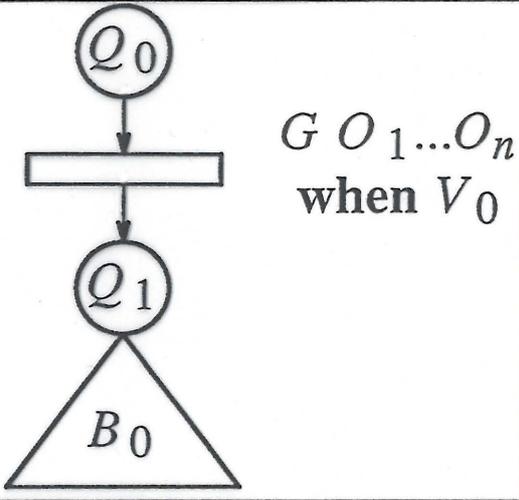
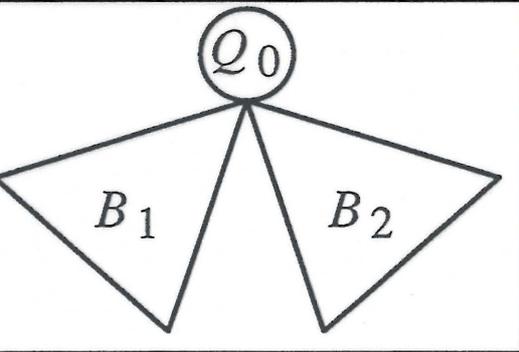
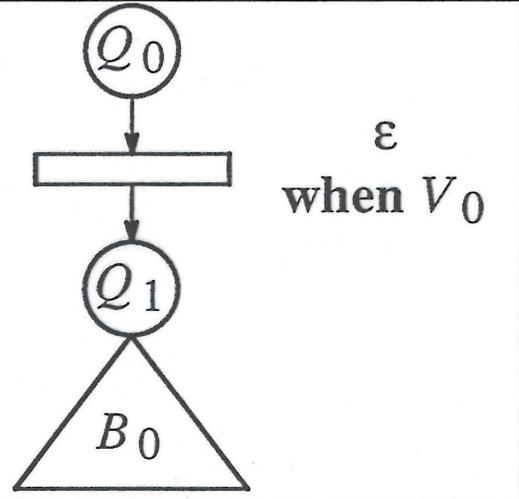
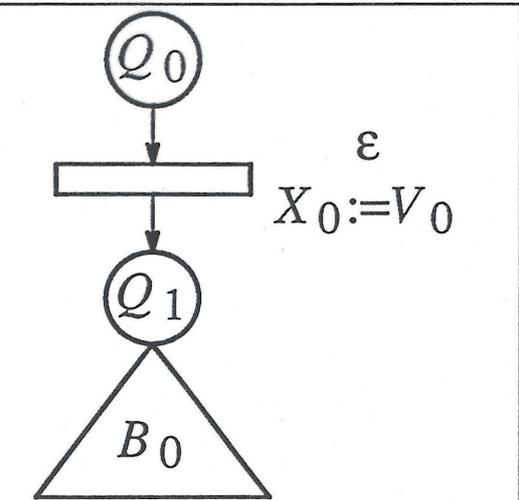
- representation of instantaneous silent events
- compositional construction of the network
- semantics:

{ closure algorithm (\sim automata theory)
+ atomicity rule

Example:

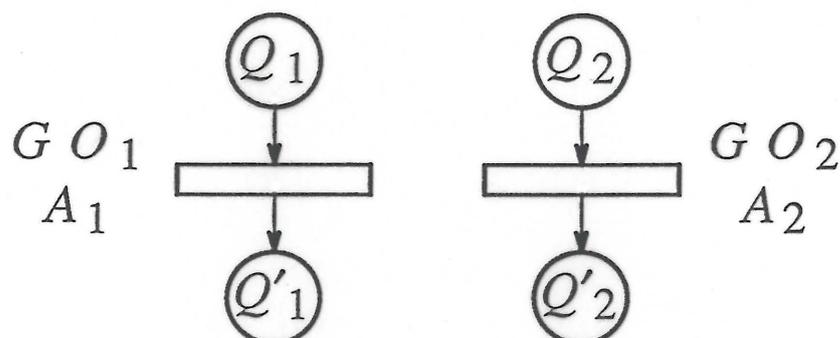
$A; \text{stop} \square (B; \text{stop} ||| C; \text{stop})$



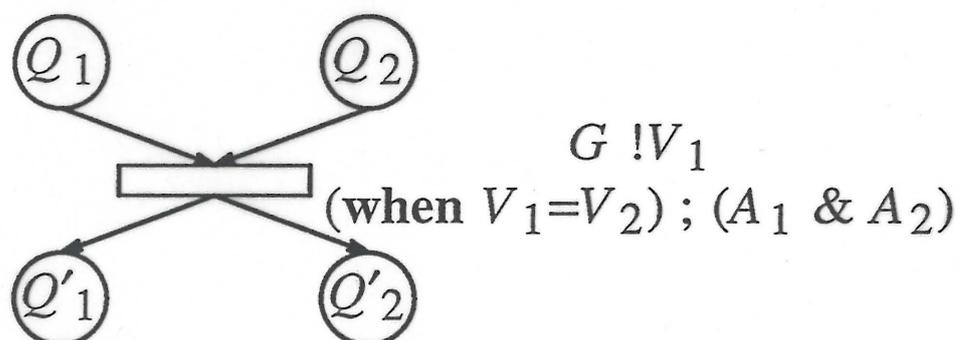
<p>stop</p>	<p style="text-align: center;">Q_0</p>
<p>$G O_1, \dots, O_n [V_0] ; B_0$</p>	
<p>$B_1 \square B_2$</p>	
<p>$[V_0] \rightarrow B_0$</p>	
<p>let $X_0 : S_0 = V_0$ in B_0</p>	

<p>choice $X_0:S_0 \square B_0$</p>	
<p>$B_1 \mid [G_0, \dots, G_n] \mid B_2$</p>	
<p>hide G_0, \dots, G_n in B_0</p>	
<p>$B_1 \triangleright B_2$</p>	
<p>$P \dots (V)$ where process $P \dots (X:S)$ B_0 endproc</p>	

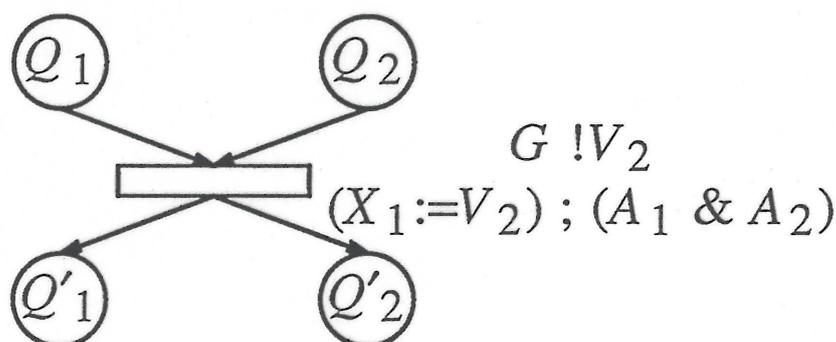
Parallel composition: rules for transition merging



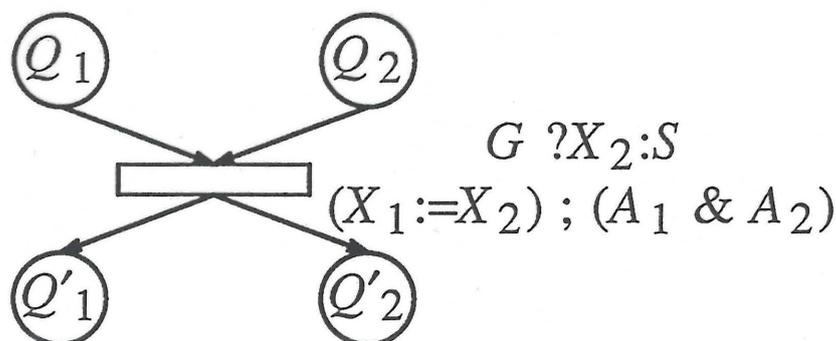
- value matching: $O_1 = !V_1$ and $O_2 = !V_2$



- value passing: $O_1 = ?X_1:S_1$ and $O_2 = !V_2$



- value generation: $O_1 = ?X_1:S_1$ and $O_2 = ?X_2:S_2$



Reducing networks improves the efficiency of the simulation phase.

A set of optimizing transformations:

- based on static analysis techniques
- preserving strong equivalence
- fast and effective

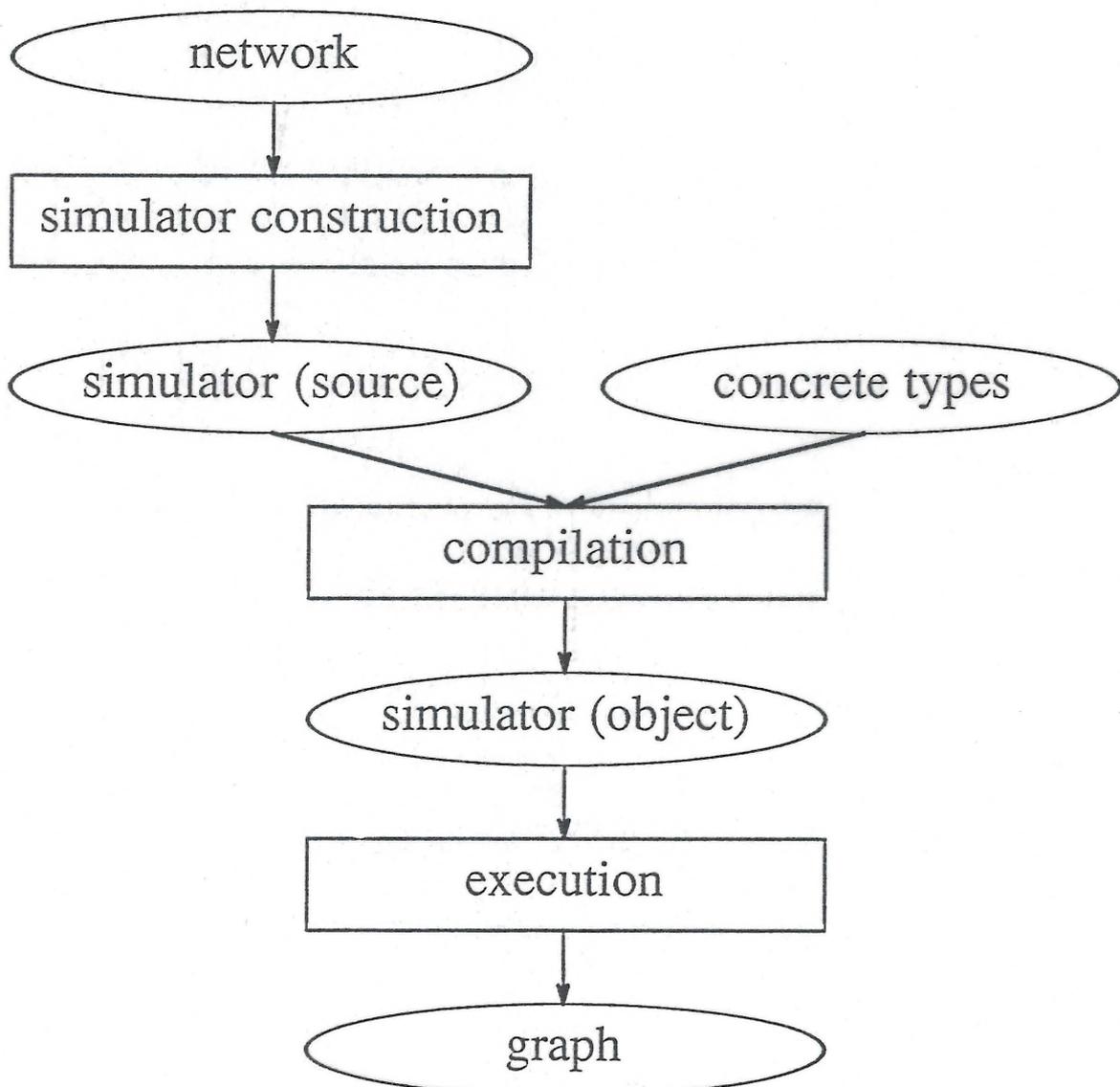
Optimization of the control part

- **based on (local) Petri Net analysis techniques**
 - removing non reachable places/transitions
 - removing non productive places/transitions
 - removing places Q' such that $(\exists Q) Q \text{ marked} \iff Q' \text{ marked}$
 - eliminating many ε -transitions

Optimization of the data part

- **based on (global) data-flow analysis techniques**
 - removing variables never used
 - removing assignments of the form $X := X$
 - removing variables X' such that $(\exists X) X = X'$
 - discovering variables with constant values
 - evaluating constant boolean guards

- breadth-first graph exploration (\sim marking graph construction)
 - all encountered states are stored in a table
 - all edges are written on a file
- LOTOS abstract data types are implemented by C concrete types
- three successive steps:
 1. construction of a C program (*simulator*)
 2. compilation of this program
 3. execution of this program



A new approach for compiling and verifying LOTOS

Initial goal: verification by model checking of LOTOS specifications.

Derived goal: efficient translation of LOTOS programs into graphs.

The proposed compilation method:

- accepts a large subset of LOTOS
- uses Petri Nets (extended with data) as an intermediate form
- could be easily adapted for:
 - interactive simulation
 - test generation
 - sequential code generation

A tool for LOTOS: CÆSAR

- full implementation of the translation method
(25 000 lines of C code, SYNTAX compiler-generator)
- graphs up to 800 000 states and 3 500 000 edges
- 40–540 states per second (on a SUN4 with 8 Mbytes)
- connection with 7 verification tools: ALDÉBARAN, PIPN, AUTO